

# A PMT test stand for the Pierre Auger Observatory

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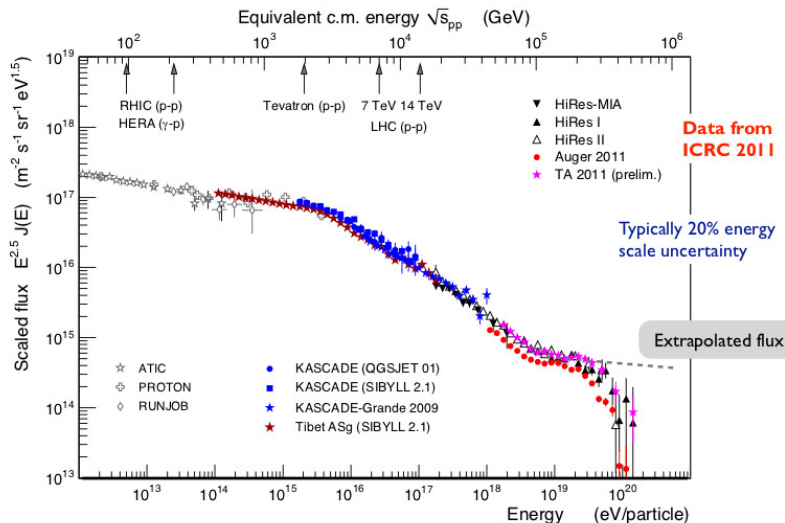
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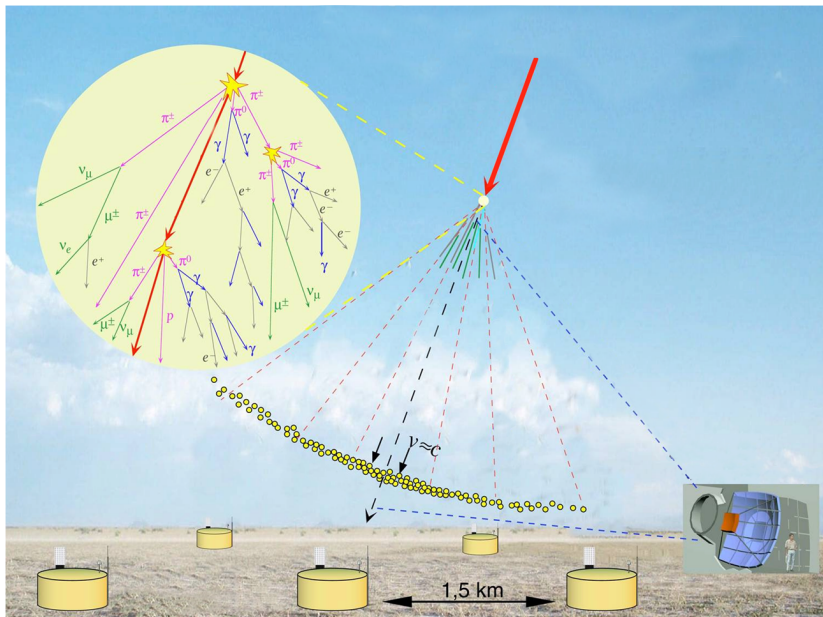
# Cosmic Rays



6

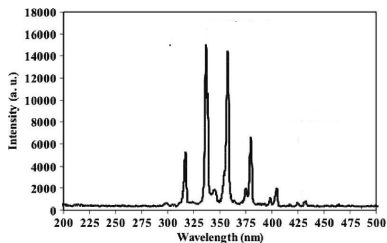
Open questions: Features of the spectrum, e.g. what happens at  $10^{20}$  eV?

# Extensive air showers and fluorescence light



# Fluorescence light and shower profile

Fluorescence light from the excitation of  $N_2$ -molecules

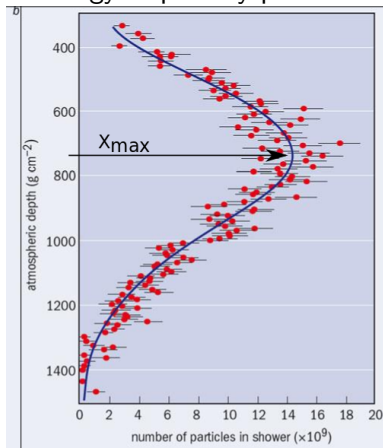


- isotropic emission,
- in the UV-range  
↪ PMT acceptance

Fluorescence light

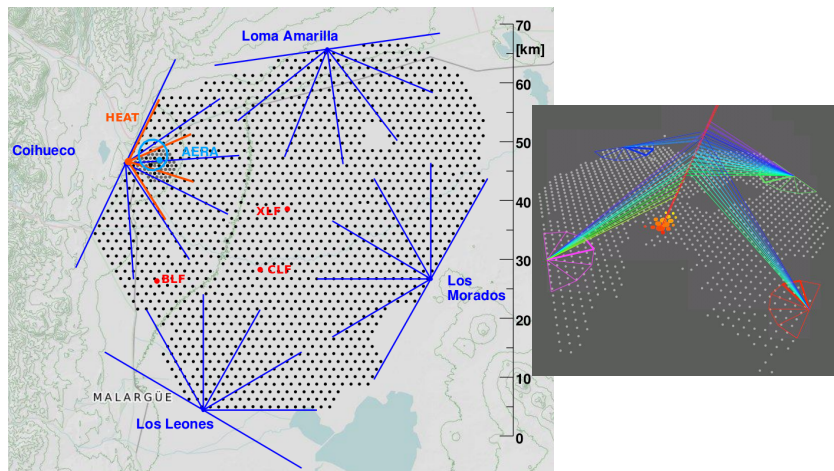
$\propto$  number of particles,

$\propto$  energy of primary particle.





# Pierre Auger Observatory - a hybrid experiment



- near Malargüe (Mendoza, Argentina)
- ca. 1600 water tanks (surface detectors, SD) on a 3000 km<sup>2</sup> array
- 27 fluorescence telescopes at 4 sides (fluorescence detectors, FD)

# A hybrid detection method

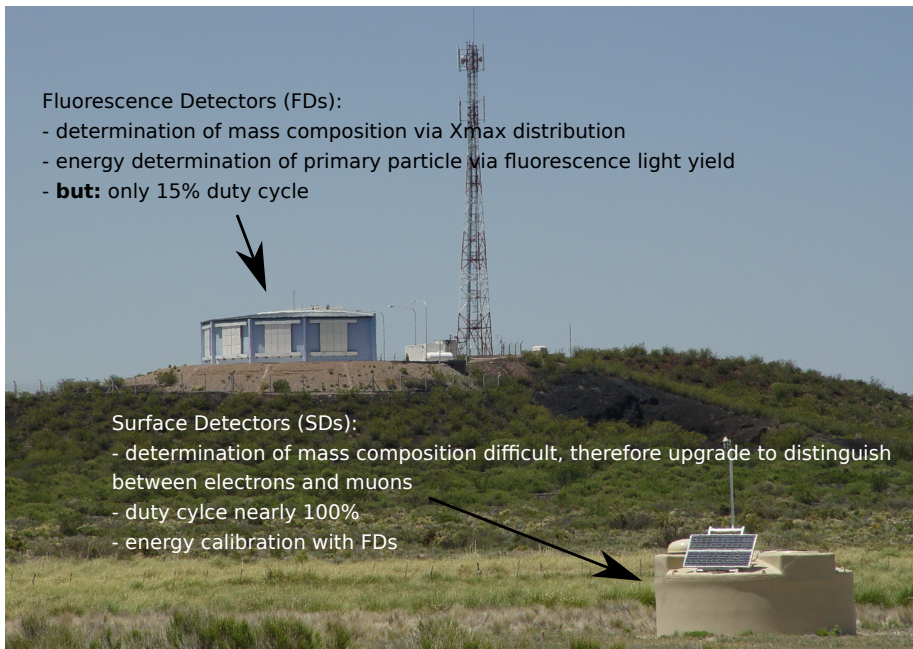
## Fluorescence Detectors (FDs):

- determination of mass composition via  $X_{\max}$  distribution
- energy determination of primary particle via fluorescence light yield
- **but:** only 15% duty cycle



## Surface Detectors (SDs):

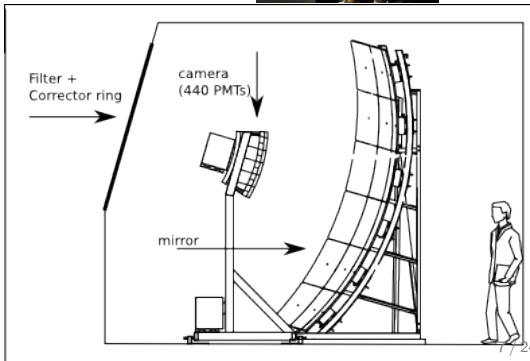
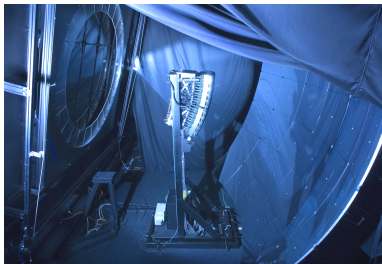
- determination of mass composition difficult, therefore upgrade to distinguish between electrons and muons
- duty cycle nearly 100%
- energy calibration with FDs



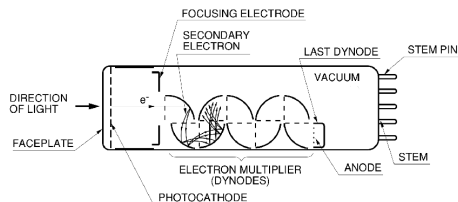
# Fluorescence telescopes

Telescopes consist of

- filter and aperture with corrector ring,
- mirror and
- camera with 440 Photonis PMTs.



# FD-Photomultiplier Tube (PMT)



PMT + electronics:

- 1 Amplification stage with gain  $g$ ,
- 2 ac coupling network,
- 3 low-pass filter.

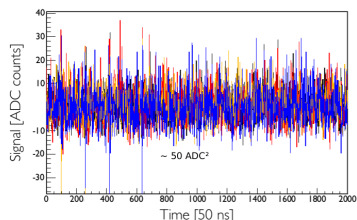
Poisson statistics:

Fluctuations ( $\sigma^2$ )

$\Rightarrow$  info background light

different background light conditions  
(for a gain of  $10^5$ ):

condition	$I_A$ ( $\mu\text{A}$ )	$\sigma^2$ ( $\text{ADC}^2$ )
no moon	0.5	25
1/4 moon	5	250
full moon	50	2500



# Actual status and goals

Actual gain of PMTs:

$$G = 10^5$$

data sheet Photonis

Gain shift when the anode current varies from dark current to <u>10 <math>\mu</math>A</u> and back (for a gain $G=10^5$ )	max.	10	n.s.	%
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n.s.: no standard specification

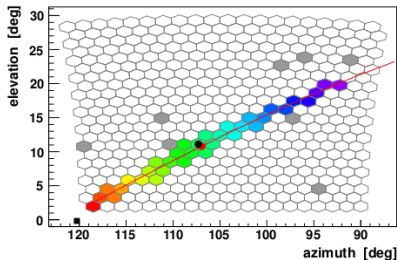
↪ no operation at higher background light possible (quick aging of PMTs)

Superior goal:

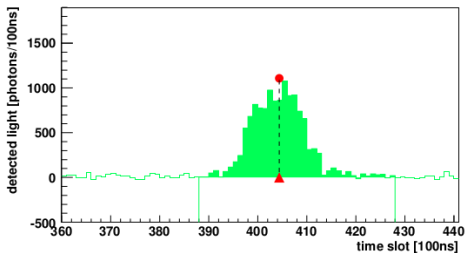
- Operate PMTs at lower HV (i.e. lower gain) & higher background.
- But: Performance of PMTs at low HVs (400-600 V) and higher background light unknown.
- Test stand to simulate new conditions and determine aging of PMTs

**But:** Is the shower reconstruction for the high energy events ( $> 10^{18}$  eV) still possible at higher background light conditions?

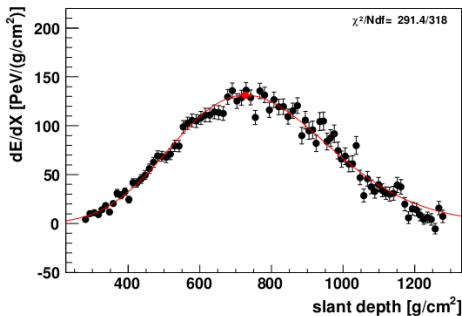
# FD measurements at nominal conditions (Los Morados)



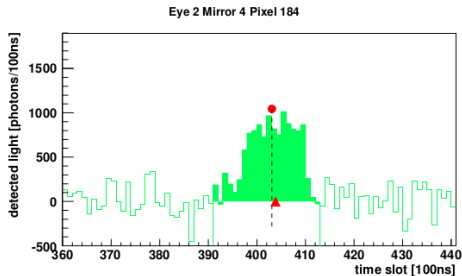
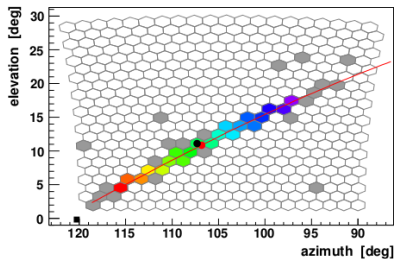
Eye 2 Mirror 4 Pixel 184



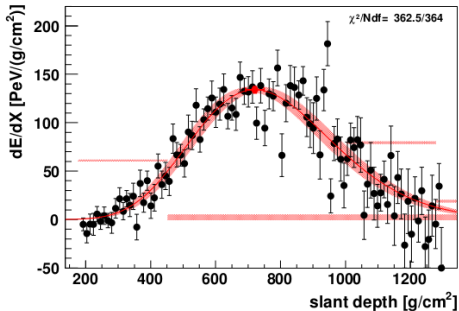
[M. Unger]



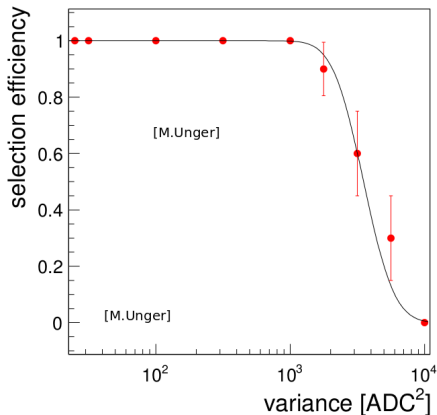
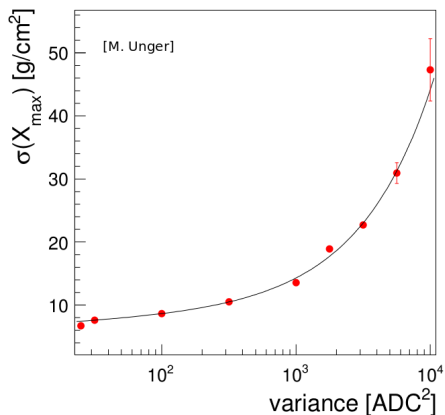
# Simulation with an added Gaussian noise (1000 ADC<sup>2</sup>)



[M. Unger]



# Reconstruction at higher background light



- Error on the  $X_{\max}$  reconstruction still small and
- shower selection efficiency still equal to 1 for  $\sigma^2 \leq 1000$  ADC<sup>2</sup>.

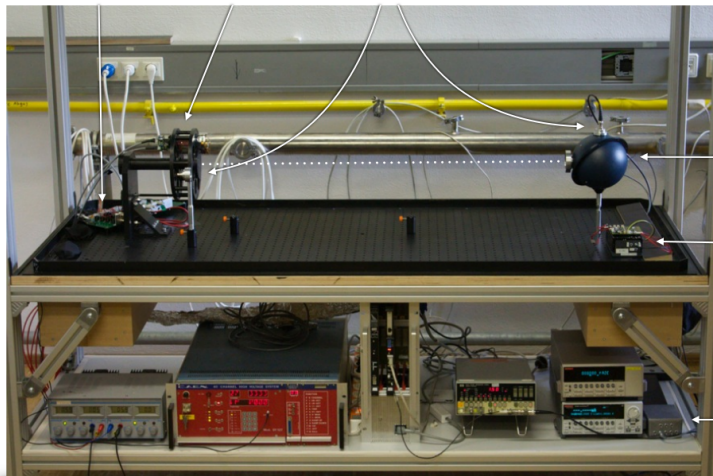


# Experimental setup

Distribution board  
(8 HV inputs)

PMT  
'wheel'

Monitoring  
photodiodes



Integrating  
sphere

Flasher  
board

T sensor  
readout

LV for  
PMTs

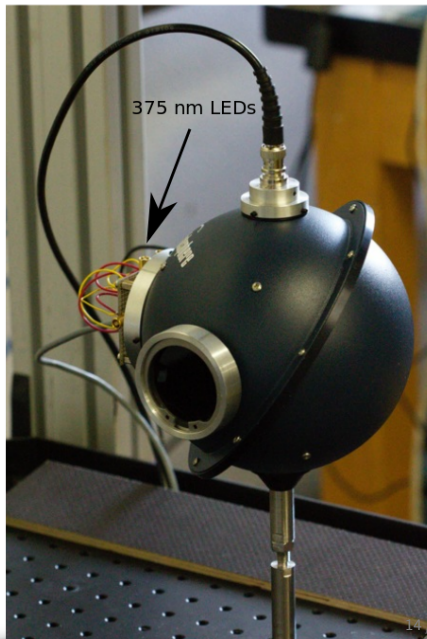
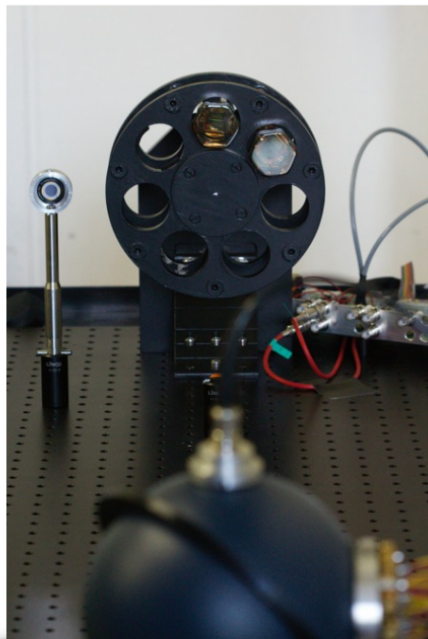
12-channel  
HV

HEAT  
DAQ

Trigger  
unit

SMU &  
Picoammeter

# Experimental setup



# PMT characterization - Electronic gain calculation

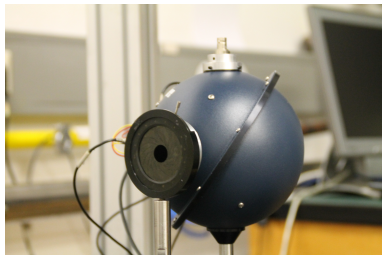
Electronic gain

( ADC counts/(phel/50 ns) ):

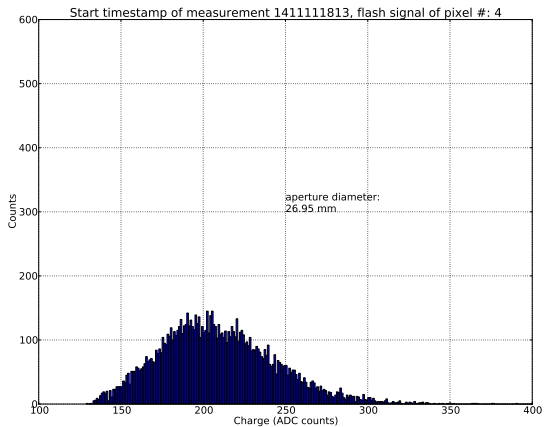
$$G_e = \frac{D}{M} \cdot \frac{5}{(1+v_g) \cdot F}$$

- $v_g$ : relative variance of the PMT gain
- $(1 + v_g)$ : single photoelectron resolution
- $D$ : variance of flasher pulse signal (in  $\text{ADC}^2$ )
- $M$ : mean value of flasher pulse signal (in ADC)
- $F = 3.3 \text{ MHz}$ : noise equivalent bandwidth

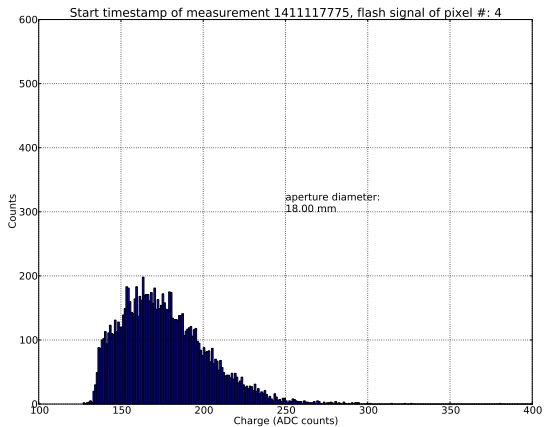
- Measure single photoelectron peak for  $v_g$ -determination,
- use optical filters and aperture to reduce light flux.



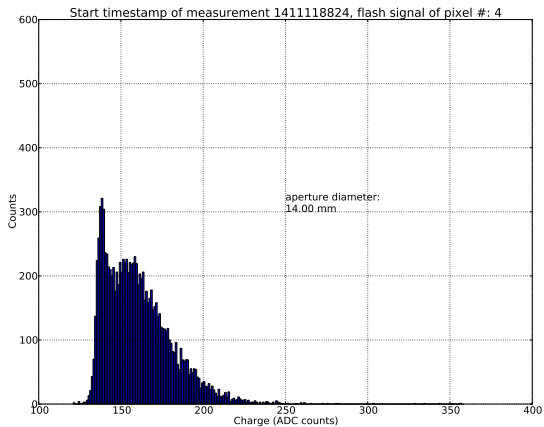
# Searching single photoelectron peak - example PMT 41249



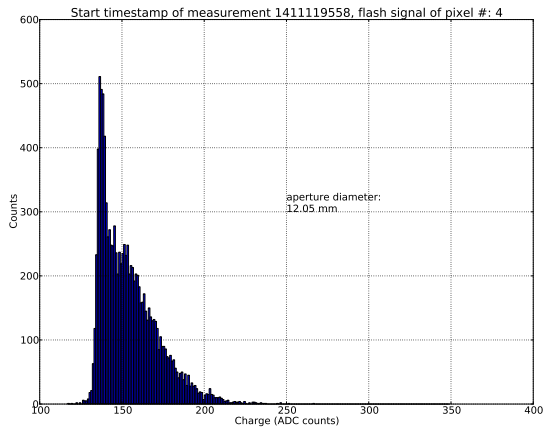
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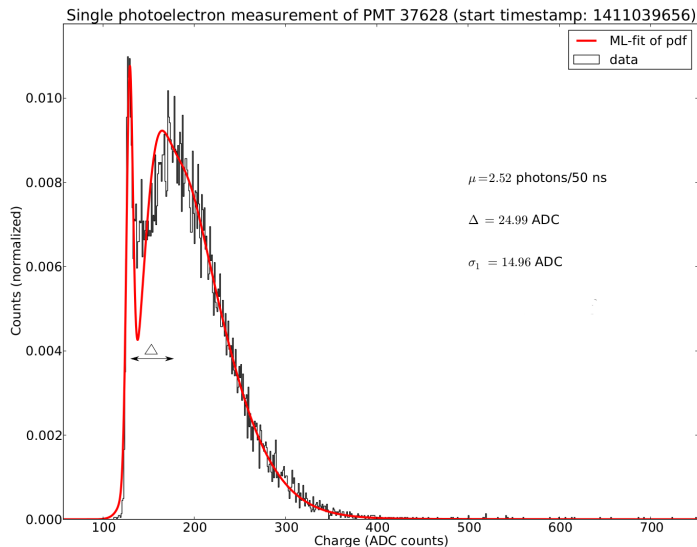


# Searching single photoelectron peak - example PMT 41249



# Fitting single photoelectron peak to calculate SER

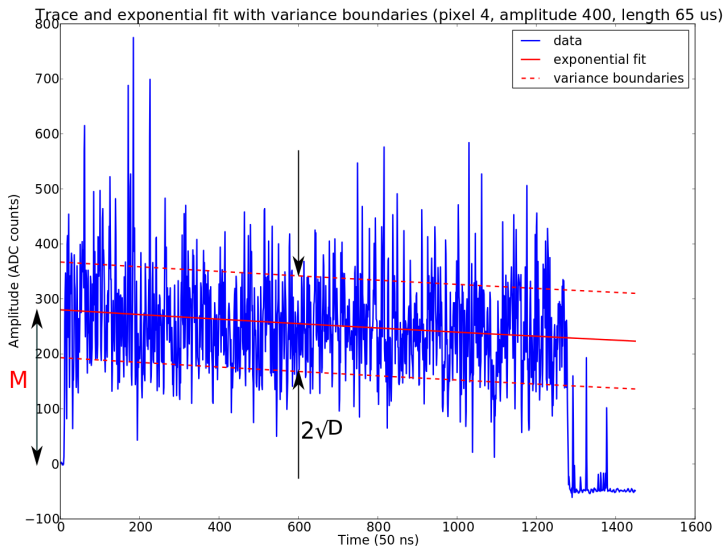
$$G_e = \frac{D}{M} \cdot \frac{5}{(1+v_g) \cdot F}, \quad \text{relative variance: } v_g = \left(\frac{\sigma_1}{\Delta}\right)^2 = 0.36$$



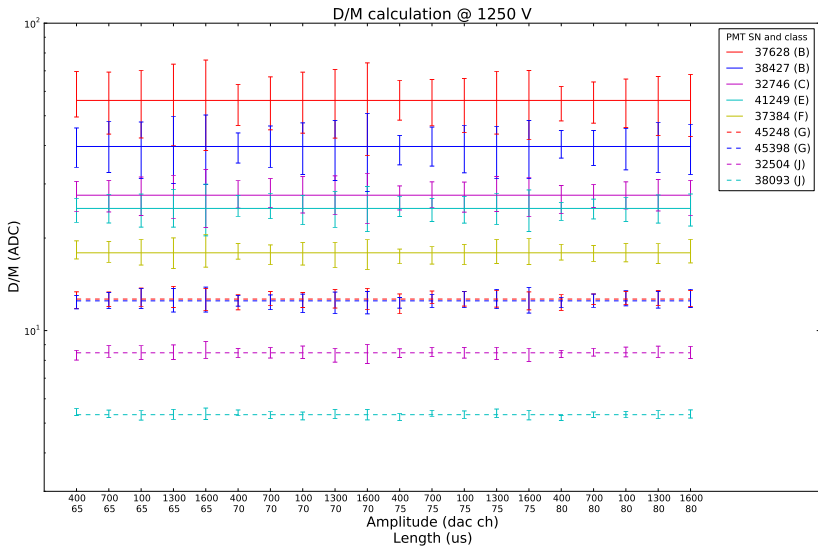


# $D/M$ calculation with long flasher pulses

$$G_e = \frac{D}{M} \cdot \frac{5}{(1+v_g) \cdot F} \quad M(t) \approx M \cdot \exp\left(-\frac{t}{\tau}\right) \rightarrow \text{fit function}$$



# D/M calculation for all PMTs



# Summary & Outlook

## Summary:

- Mounting of PMT test stand completed,
- systematics mostly understood, excepting external noise signal,
- single photoelectron peaks can be seen and
- characterization of used PMTs is possible.

## Outlook:

- Finish characterization measurements of used PMTs, i.e.
  - gain determination for all PMTs and
  - check linearity of PMTs for different AC & DC light conditions.
- Start aging measurements at nominal and lower HV.
- Find lower HV for higher background conditions and implement results directly at the Observatory in Argentina.

- 20  $\gamma$ 's per 1 MeV energy deposit ( $e^-$ :  $2.2 \frac{\text{MeV}}{\text{g/cm}^2}$ ),
- $X_{\text{max}} \propto D_e \cdot \ln(E_0/A) = D_e \cdot (\ln E_0 - \ln A)$ ,
- $N_{\mu}^A = A \cdot \left(\frac{E_0/A}{E_{\text{dec}}}\right)^{\alpha} = A^{1-\alpha} \cdot N_{\mu}$